

# Multiprocessor Interconnection Networks

CS 418  
Lecture 26

*(CSG Sections 1.1-1.10)*

## Topics

- Network design issues
- Network Topology

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## Networks

- How do we move data between processors?
- Design Options:
  - Topology
  - Routing
  - Physical implementation

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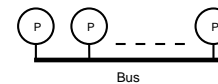
## Evaluation Criteria:

- Latency
- Bisection Bandwidth
- Contention and hot-spot behavior
- Partitionability
- Cost and scalability
- Fault tolerance

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## Buses



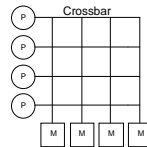
- Simple and cost-effective for small-scale multiprocessors
- Not scalable (limited bandwidth; electrical complications)

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## Crossbars

- Each port has link to every other port
- + Low latency and high throughput
- Cost grows as  $O(N^2)$  so not very scalable.
- Difficult to arbitrate and to get all data lines into and out of a centralized crossbar.
- Used in small-scale MPs (e.g., C.mmp) and as building block for other networks (e.g., Omega).

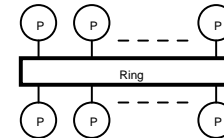


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## Rings

- Cheap: Cost is  $O(N)$ .
- Point-to-point wires and pipelining can be used to make them very fast.
- + High overall bandwidth
- High latency  $O(N)$
- Examples: KSR machine, Hector

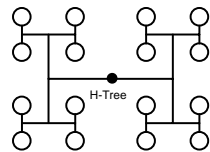


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## Trees

- Cheap: Cost is  $O(N)$ .
- Latency is  $O(\log N)$ .
- Easy to layout as planar graphs (e.g., H-Trees).
- For random permutations, root can become bottleneck.
- To avoid root being bottleneck, notion of **Fat-Trees** (used in CM-5)

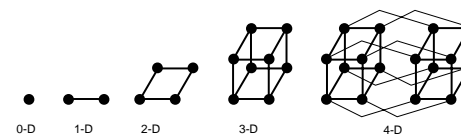


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## Hypercubes

- Also called binary  $n$ -cubes. # of nodes =  $N = 2^n$ .
- Latency is  $O(\log N)$ ; Out degree of PE is  $O(\log N)$
- Minimizes hops; good bisection BW; but tough to layout in 3-space
- Popular in early message-passing computers (e.g., intel iPSC, NCUBE)
- Used as direct network ==> emphasizes locality



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## Multistage Logarithmic Networks

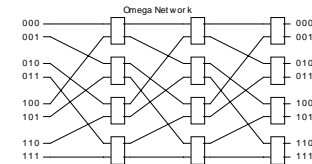
**Key Idea:** have multiple layers of switches between destinations.

- Cost is  $O(N \log N)$ ; latency is  $O(\log N)$ ; throughput is  $O(N)$ .
- Generally indirect networks.
- Many variations exist (Omega, Butterfly, Benes, ...).
- Used in many machines: BBN Butterfly, IBM RP3, ...

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## Omega Network

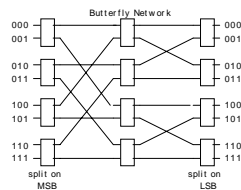


- All stages are same, so can use recirculating network.
- Single path from source to destination.
- Can add extra stages and pathways to minimize collisions and increase fault tolerance.
- Can support combining. Used in IBM RP3.

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## Butterfly Network

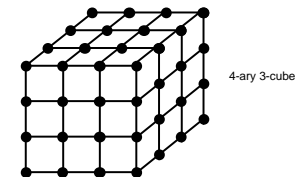


- Equivalent to Omega network. Easy to see routing of messages.
- Also very similar to hypercubes (direct vs. indirect though).
- Clearly see that bisection of network is  $(N / 2)$  channels.
- Can use higher-degree switches to reduce depth.

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## k-ary n-cubes

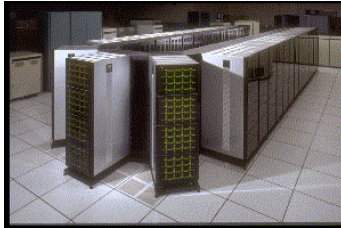


- Generalization of hypercubes ( $k$ -nodes in a string)
- Total # of nodes =  $N = k^n$ .
- $k > 2$  reduces # of channels at bisection, thus allowing for wider channels but more hops.

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## Real World 2D mesh



1824 node Paragon: 16 x 114 array

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## Advantages of Low-Dimensional Nets

What can be built in VLSI is often wire-limited

LDNs are easier to layout:

- more uniform wiring density (easier to embed in 2-D or 3-D space)
- mostly local connections (e.g., grids)

Compared with HDNs (e.g., hypercubes), LDNs have:

- shorter wires (reduces hop latency)
- fewer wires (increases bandwidth given constant bisection width)
  - increased channel width is the major reason why LDNs win!

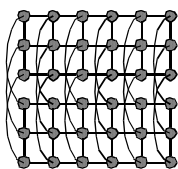
LDNs have better hot-spot throughput

- more pins per node than HDNs

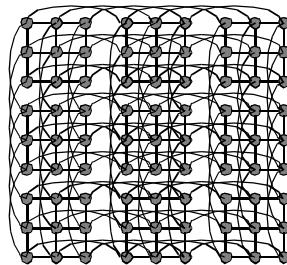
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## Embedding into 2 Dimensions



6 x 3 x 2



Embed multiple logical dimension in one physical dimension using long wires

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